HW 11
Due: Fri, 21 Apr 2023

1. Problem 3.1.11. Let $C$ and $C^{\prime}$ be cycles in a graph $G$. Prove that $C \Delta C^{\prime}$ decomposes into cycles.
2. Problem 3.1.28. (!) Exhibit a perfect matching in the graph below or give a short proof that it has none. (Lovász-Plummer (1986, p7])

3. Problem 4.1.1. ( - ) Give a proof or a counterexample for each statement below.
(a) Every graph with connectivity 4 is 2 -connected.
(b) Every 3 -connected graph has connectivity 3.
(c) Every $k$-connected graph is $k$-edge-connected.
(d) Every $k$-edge-connected graph is $k$-connected.

Don't turn in, but take a look at:
4. Problem 4.1.8. Determine $\kappa(G), \kappa^{\prime}(G)$, and $\delta(G)$ for each graph $G$ drawn below.


