

# COMP 150PP Homework: Programming Probability

Due Monday, October 3, 2016, at 11:59PM

Here is our revised plan for completing solutions of the dice problems. See

<http://www.cs.tufts.edu/comp/150PP/handouts/0914problems2c.pdf>.

- Design or adapt a polymorphic abstraction for probabilistic modeling. In Haskell this would be a type class; in ML it would be a signature.
- Build one or more implementations (exact calculation using exact rational arithmetic, approximate calculation using floating-point numbers, and/or sampling). In Haskell, each implementation would be an instance declaration; in ML, it would be a functor.
- Solve your chosen subset of problems using the abstraction, so you can try multiple implementations. In Haskell, each solution would be a function that has a type-class constraint. In ML, each solution should also be a function, but it makes the most sense to put that function in the body of an ML functor.
- Send me code that I can compile and run to print your chosen solutions. Ideally, the command-line arguments to your code would determine what solutions are run—in Haskell, try `getArgs` from `System.Environment`; in ML, try `CommandLine.arguments`.
- Include a README file that says what problems you've solved *and how long it takes to compute solutions*. If there are problems that hit combinatorics, let me know.

Finally, here is an additional problem for you to think about. We'll get deeper into this problem next month:

- M. Somebody gives Norman a hat containing five slips of paper, numbered 1 to 5 respectively. Norman draws a slip from the hat. The number on the slip is called  $n$ . Norman then repeats the following procedure ten times:
- Take  $n$  dice from the bag, throw them, report the total  $t$ , then put the dice back in the bag.

The totals reported are 21, 15, 34, 12, 18, 38, 46, 13, 24, and 27. The question is, *what is the number on the slip Norman drew?* (That is, what is  $n$ ?) We will call this problem the *slip problem*.